

# Towards Zero Touch Configuration of 5G Non-Public Networks for Time Sensitive Networking

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OF THE 5G NPN

03. EXPERIMENTAL TESTBED

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# Introduction

Industrial environments are adopting **Time Sensitive Networking (TSN)**

- Evolution of Ethernet standards (wired)
- Guarantee deterministic traffic (jitter, latency, etc.)

Factories of the Future will require mobility and remove cables → **TSN over 5G**

## Challenges of TSN over 5G

- New procedures and entities to relate TSN and 5G domains
  - Time synchronization, traffic prioritization/mapping
  - DS-TT (device side), NW-TT (network side), TSN Application Function
- New traffic patterns with very demanding Key Performance Indicators (KPIs)
- Dynamic configuration of a complete 5G Non-Public Network (5G-NPN)

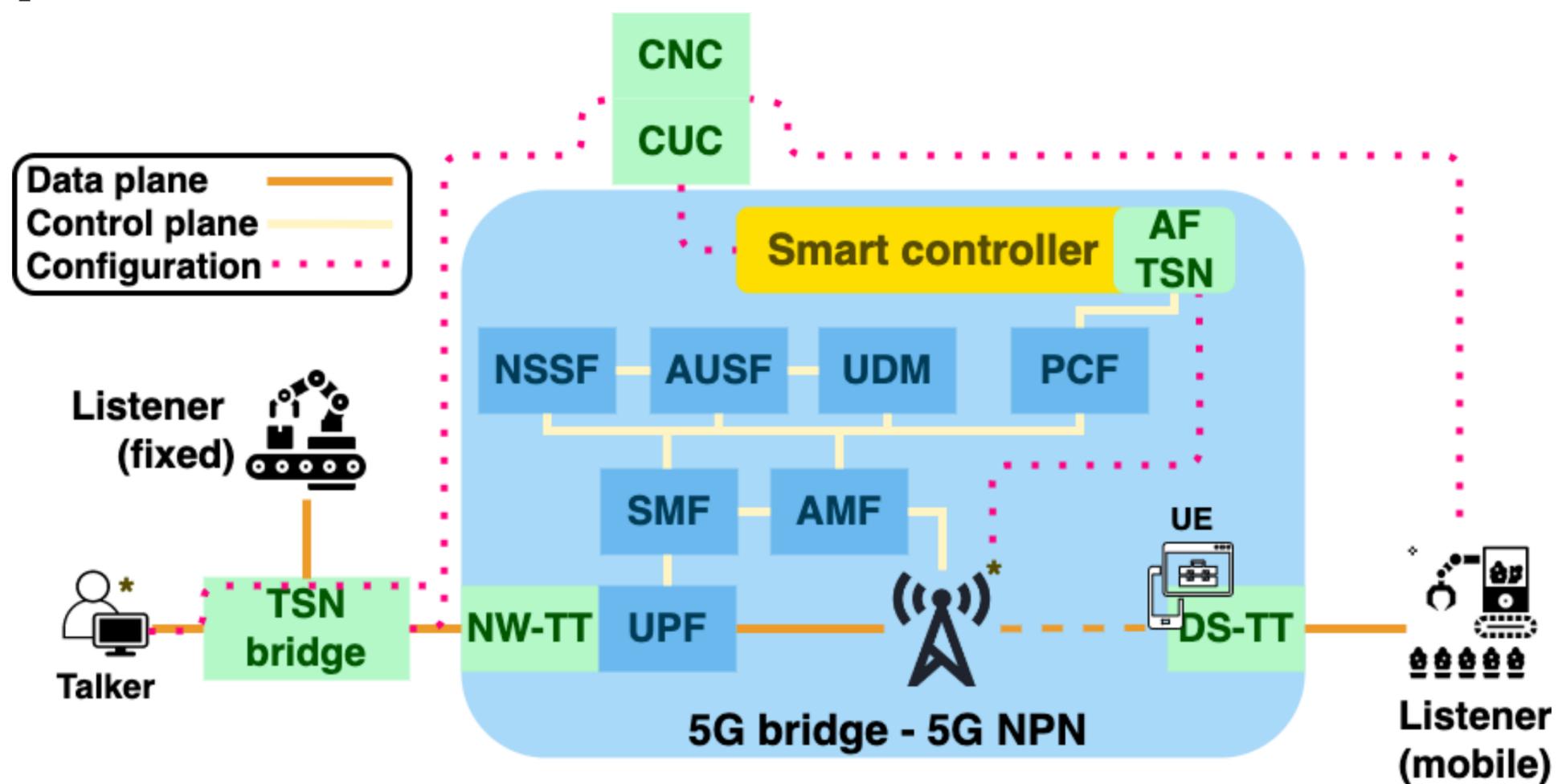
# Introduction

*Novel approach to automate the network re-configuration process to support TSN over 5G*

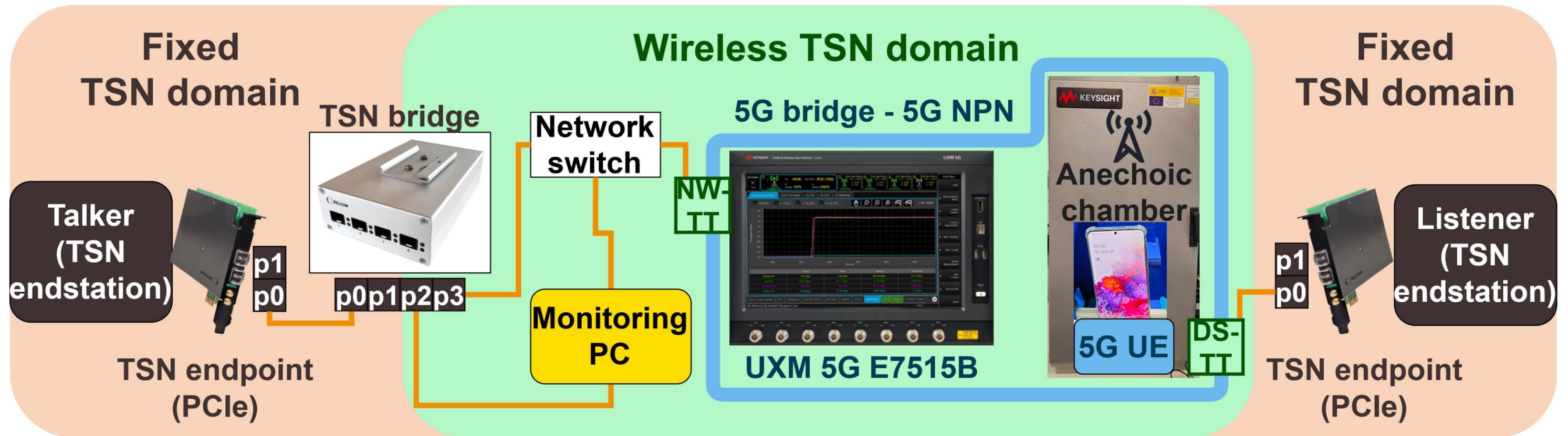
- . Based on a real 5G NPN network
- . Use learning techniques to produce an automata-based model of the network
- . The model is used to predict the network behavior and decide the future configuration to meet the traffic requirements

# Zero Touch Configuration of the 5G NPN

- The TSN endpoints (talker) *communicate in advance* their intended traffic pattern and requirements to the CUC/CNC
- The Smart controller beside CUC/CNC and TSN AF entities will be in charge of the 5G NPN configuration (RAN & core network)
- Zero touch approach: without human interaction



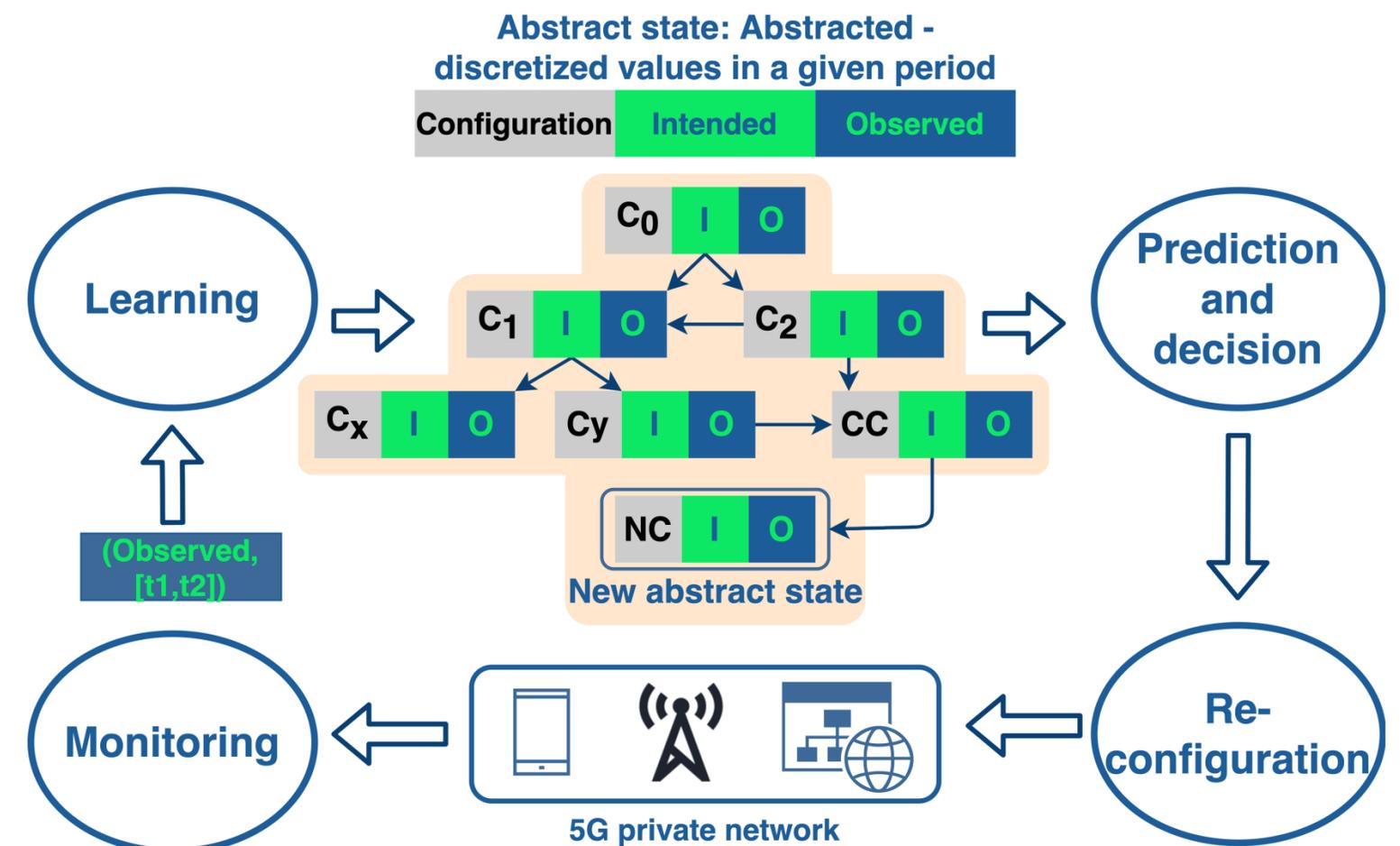
# Experimental Testbed



# Automata Learning Approach

## Close-loop approach

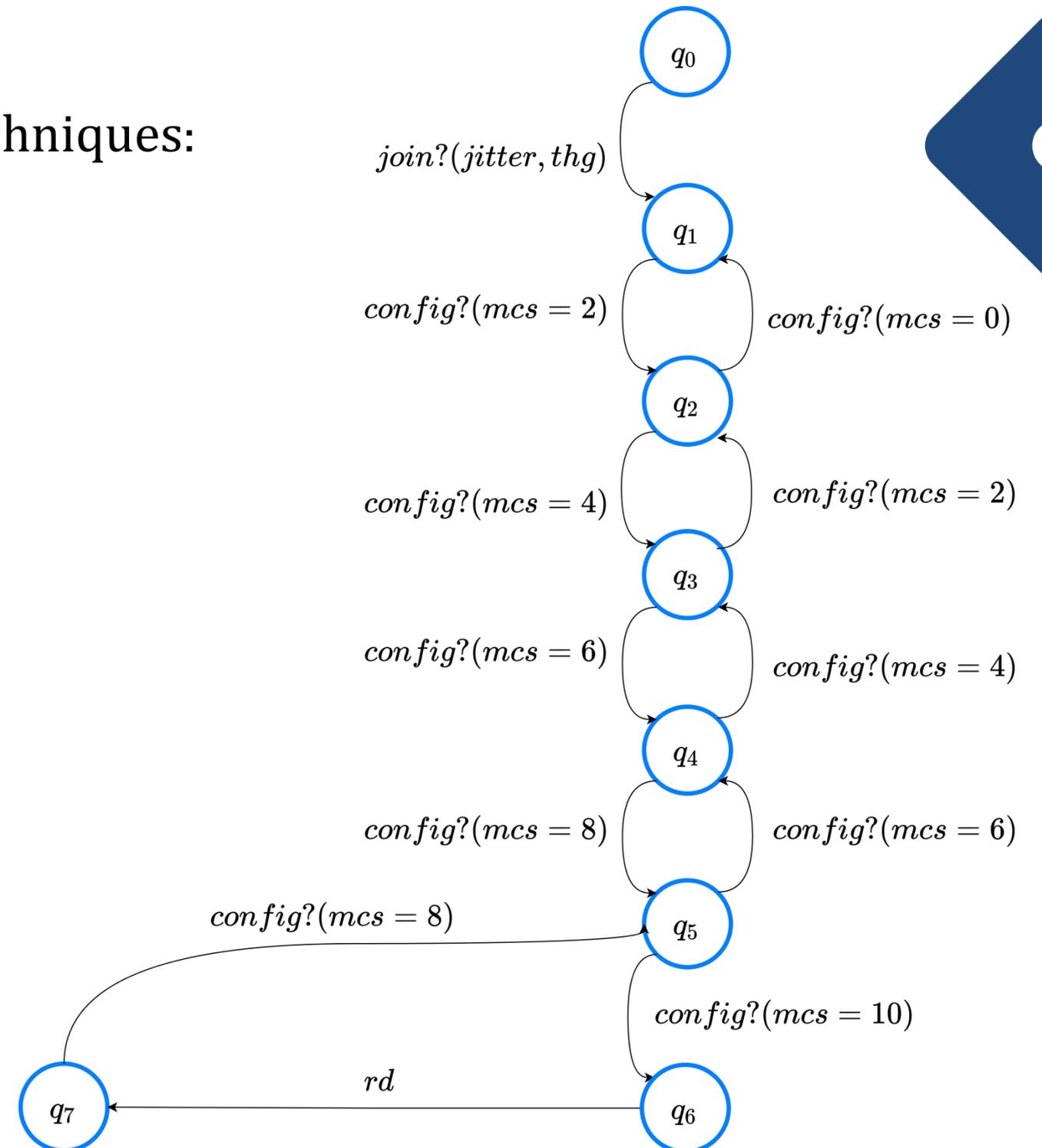
- Monitoring and learning from set of traces
- Automaton construction (abstract states)
  - Configuration
  - Intended traffic
  - Observed traffic
- Prediction and decision
  - Deviation detection
  - Next configuration
- Re-configuration
  - Apply the new values of the parameters



# Automata Learning Approach

Advantages of automata learning compared to ML techniques:

- Behavioural model instead of a black box model  
→ **decisions can be explained**
- Analysis of the automata:
  - Equivalence checking
  - Model composition and refinement



# Automata Learning Approach

The Learn algorithm composes the automaton resulting from learning a finite set of  $k$  traces

Each trace  $\pi = s_0 \cdot s_1 \cdots s_{n-1} \in \mathcal{T}$   
is a sequence of observed states  $s_i$

Each observed state is a tuple  $\langle ts, conf, intd, obsd \rangle$

**Algorithm** Learn ( $\downarrow \mathcal{T} = \{\pi^1, \dots, \pi^k\}, \uparrow \mathcal{A}_k$ ):

```
 $\mathcal{A}_0 := \langle \{q_0\}, q_0, \emptyset, \{q_0 \rightarrow (conf_d, \bar{t}, \bar{0})\} \rangle;$   
for  $i := 1 \dots k$  do  
   $\mathcal{A}_i := Compose(\mathcal{A}_{i-1}, \pi^i);$   
return  $\mathcal{A}_k;$ 
```

Observed states are produced:

- periodically during network execution  $rd$
- when events occurs:
  - $config(conf)? \rightarrow$  change of configuration requested
  - $join(intd)? \rightarrow$  new TSN session with  $intd$  KPIs
  - $leave? \rightarrow$  a existing TSN session is closed

# Automata Learning Approach

For each state of the trace, the function Compose considers 4 different cases:

1. The observed state is produced by a change in the network configuration

```
case config(confn)? do  
  if confn ≠ confc then  
    q' := A.get(confn, it, 0̄);  
    if q' = None then  
      q' := A.newState(confn, it, 0̄);  
    A.addTran(qc, config(confn)?, q');  
    qc := q';
```

Function Compose ( $\uparrow \mathcal{A}, \downarrow \pi = s_0 \dots s_{n-1}$ ):

```
qc := q0;  
for i := 0 .. n - 1 do  
  (confc, it, obα) := fA(qc);  
  switch si do  
    case config(confn)? do  
      if confn ≠ confc then  
        q' := A.get(confn, it, 0̄);  
        if q' = None then  
          q' := A.newState(confn, it, 0̄);  
        A.addTran(qc, config(confn)?, q');  
        qc := q';  
    case join(it')? do  
      q' := A.get(confc, it', 0̄);  
      if q' = None then  
        q' := A.newState(confc, it', 0̄);  
      if q' ≠ qc then  
        A.addTran(qc, join(it')?, q');  
        qc := q';  
    case leave? do  
      A.addTran(qc, leave?, q0);  
      qc := q0;  
    case (ts, confc, it', ob') do  
      oα := deviation(it', ob');  
      q' := A.get(confc, it', oα);  
      if q' = None then  
        q' := A.newState(confc, it', oα);  
      if q' ≠ qc then  
        A.addTran(qc, rd, q');  
        qc := q';  
return A;
```

# Automata Learning Approach

For each state of the trace, the function Compose considers 4 different cases:

1. The observed state is produced by a change in the network configuration
2. The observed state is produced by a new session

```
case join(it')? do  
   $q' := A.get(conf_c, it', \bar{0});$   
  if  $q' = None$  then  
     $q' = A.newState(conf_c, it', \bar{0});$   
  if  $q' \neq q_c$  then  
     $A.addTran(q_c, join(it')?, q');$   
     $q_c = q';$ 
```

Function Compose ( $\uparrow \mathcal{A}, \downarrow \pi = s_0 \dots s_{n-1}$ ):

```
 $q_c := q_0;$   
for  $i := 0 \dots n - 1$  do  
   $(conf_c, it, ob^\alpha) := f_A(q_c);$   
  switch  $s_i$  do  
    case config(conf_n)? do  
      if  $conf_n \neq conf_c$  then  
         $q' := A.get(conf_n, it, \bar{0});$   
        if  $q' = None$  then  
           $q' := A.newState(conf_n, it, \bar{0});$   
           $A.addTran(q_c, config(conf_n)?, q');$   
           $q_c := q';$   
    case join(it')? do  
       $q' := A.get(conf_c, it', \bar{0});$   
      if  $q' = None$  then  
         $q' = A.newState(conf_c, it', \bar{0});$   
      if  $q' \neq q_c$  then  
         $A.addTran(q_c, join(it')?, q');$   
         $q_c = q';$   
    case leave? do  
       $A.addTran(q_c, leave?, q_0);$   
       $q_c := q_0;$   
    case  $\langle ts, conf_c, it', ob' \rangle$  do  
       $o^\alpha = deviation(it', ob');$   
       $q' := A.get(conf_c, it', o^\alpha);$   
      if  $q' = None$  then  
         $q' := A.newState(conf_c, it', o^\alpha);$   
      if  $q' \neq q_c$  then  
         $A.addTran(q_c, rd, q');$   
         $q_c := q';$   
return  $\mathcal{A};$ 
```

# Automata Learning Approach

For each state of the trace, the function Compose considers 4 different cases:

1. The observed state is produced by a change in the network configuration
2. The observed state is produced by a new session
3. The observed state is produced by the end of a session

```
case leave? do  
  A.addTran( $q_c$ , leave?,  $q_0$ );  
   $q_c := q_0$ ;
```

**Function** Compose ( $\uparrow \mathcal{A}$ ,  $\downarrow \pi = s_0 \dots s_{n-1}$ ):

```
 $q_c := q_0$ ;  
for  $i := 0 \dots n - 1$  do  
  ( $conf_c, it, ob^\alpha$ ) :=  $f_A(q_c)$ ;  
  switch  $s_i$  do  
    case config( $conf_n$ )? do  
      if  $conf_n \neq conf_c$  then  
         $q' := A.get(conf_n, it, \bar{0})$ ;  
        if  $q' = None$  then  
           $q' := A.newState(conf_n, it, \bar{0})$ ;  
           $A.addTran(q_c, config(conf_n)?, q')$ ;  
           $q_c := q'$ ;  
    case join( $it'$ )? do  
       $q' := A.get(conf_c, it', \bar{0})$ ;  
      if  $q' = None$  then  
         $q' = A.newState(conf_c, it', \bar{0})$ ;  
      if  $q' \neq q_c$  then  
         $A.addTran(q_c, join(it')?, q')$ ;  
         $q_c = q'$ ;  
    case leave? do  
       $A.addTran(q_c, leave?, q_0)$ ;  
       $q_c := q_0$ ;  
    case  $\langle ts, conf_c, it', ob' \rangle$  do  
       $o^\alpha = deviation(it', ob')$ ;  
       $q' := A.get(conf_c, it', o^\alpha)$ ;  
      if  $q' = None$  then  
         $q' := A.newState(conf_c, it', o^\alpha)$ ;  
      if  $q' \neq q_c$  then  
         $A.addTran(q_c, rd, q')$ ;  
         $q_c := q'$ ;  
return  $\mathcal{A}$ ;
```

# Automata Learning Approach

For each state of the trace, the function Compose considers 4 different cases:

1. The observed state is produced by a change in the network configuration
2. The observed state is produced by a new session
3. The observed state is produced by the end of a session
4. The observed state is produced by time pass

```
case  $\langle ts, conf_c, it', ob' \rangle$  do  
   $o^\alpha = deviation(it', ob');$   
   $q' := A.get(conf_c, it', o^\alpha);$   
  if  $q' = None$  then  
     $q' := A.newState(conf_c, it', o^\alpha);$   
  if  $q' \neq q_c$  then  
     $A.addTran(q_c, rd, q');$   
     $q_c := q';$ 
```

Function Compose ( $\uparrow \mathcal{A}, \downarrow \pi = s_0 \dots s_{n-1}$ ):

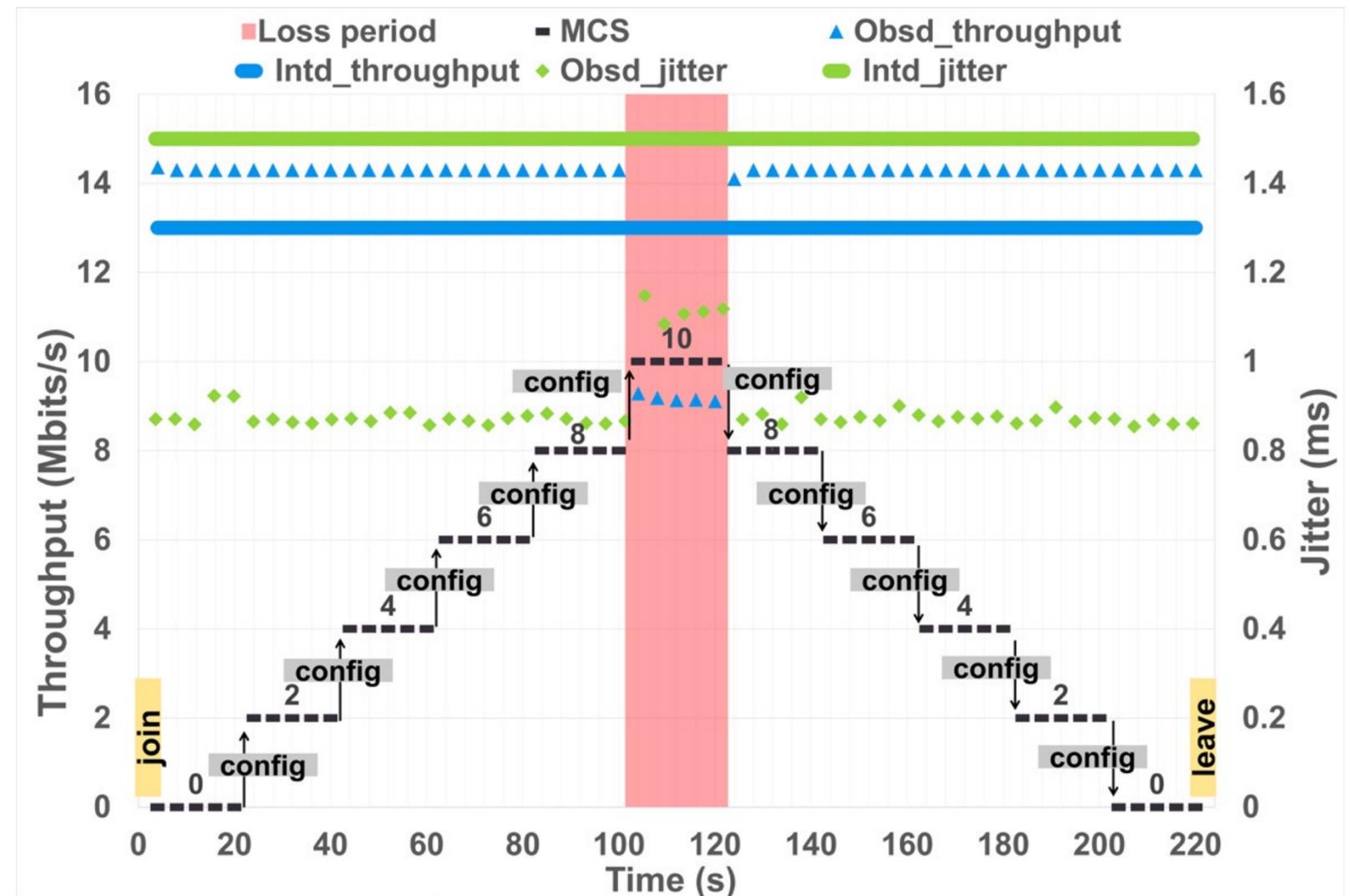
```
 $q_c := q_0;$   
for  $i := 0 \dots n - 1$  do  
   $(conf_c, it, ob^\alpha) := f_A(q_c);$   
  switch  $s_i$  do  
    case  $config(conf_n)?$  do  
      if  $conf_n \neq conf_c$  then  
         $q' := A.get(conf_n, it, \bar{0});$   
        if  $q' = None$  then  
           $q' := A.newState(conf_n, it, \bar{0});$   
           $A.addTran(q_c, config(conf_n)?, q');$   
           $q_c := q';$   
    case  $join(it')?$  do  
       $q' := A.get(conf_c, it', \bar{0});$   
      if  $q' = None$  then  
         $q' = A.newState(conf_c, it', \bar{0});$   
      if  $q' \neq q_c$  then  
         $A.addTran(q_c, join(it')?, q');$   
         $q_c = q';$   
    case  $leave?$  do  
       $A.addTran(q_c, leave?, q_0);$   
       $q_c := q_0;$   
    case  $\langle ts, conf_c, it', ob' \rangle$  do  
       $o^\alpha = deviation(it', ob');$   
       $q' := A.get(conf_c, it', o^\alpha);$   
      if  $q' = None$  then  
         $q' := A.newState(conf_c, it', o^\alpha);$   
      if  $q' \neq q_c$  then  
         $A.addTran(q_c, rd, q');$   
         $q_c := q';$   
return  $\mathcal{A};$ 
```

# Construction of the learned automaton

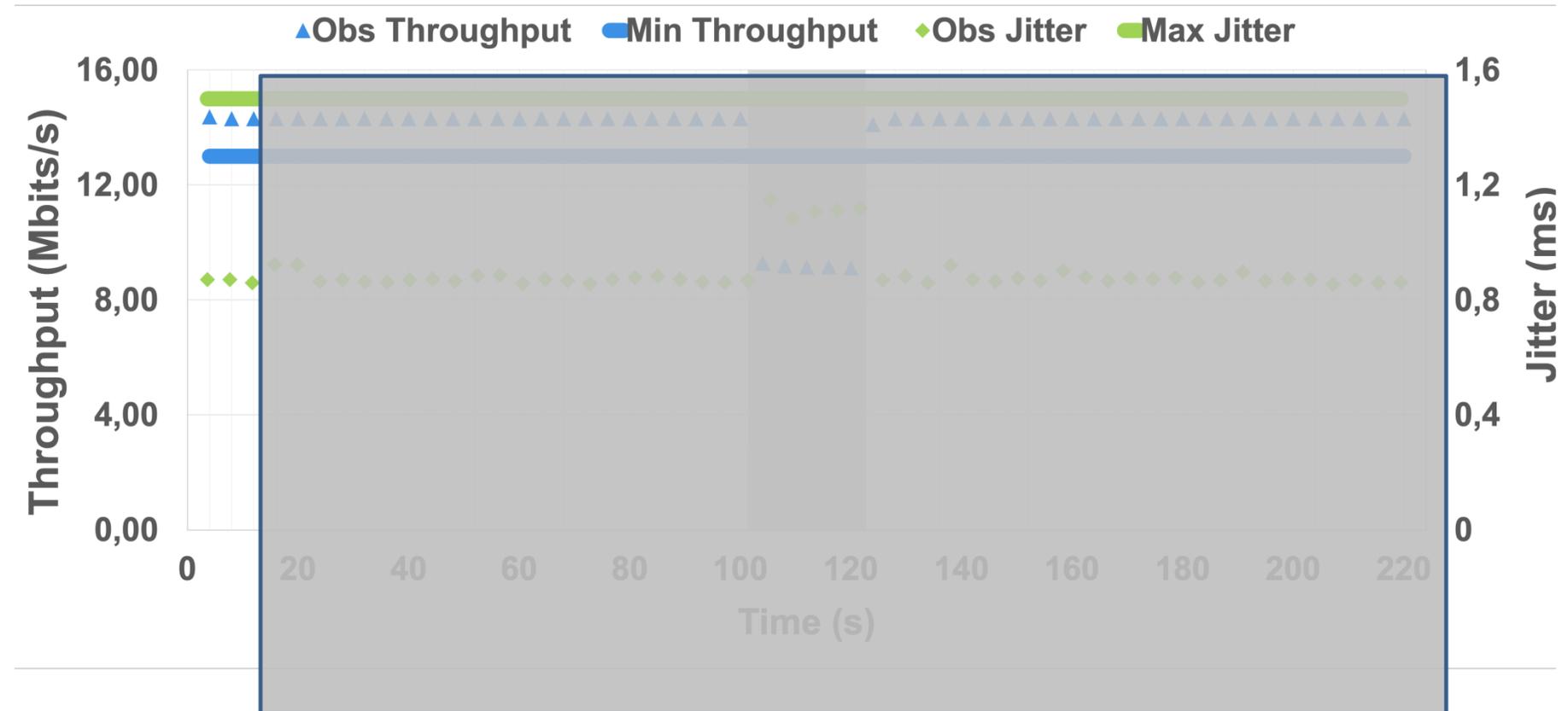
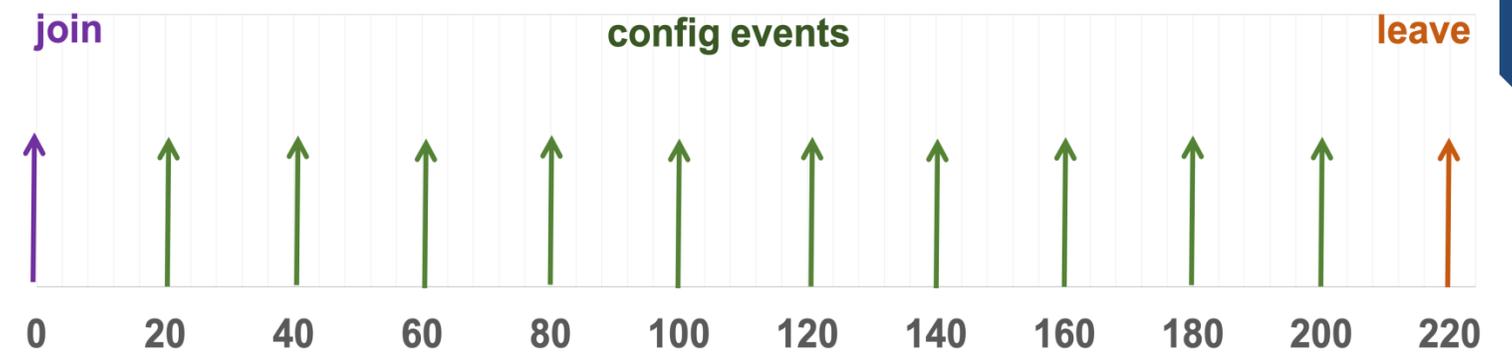
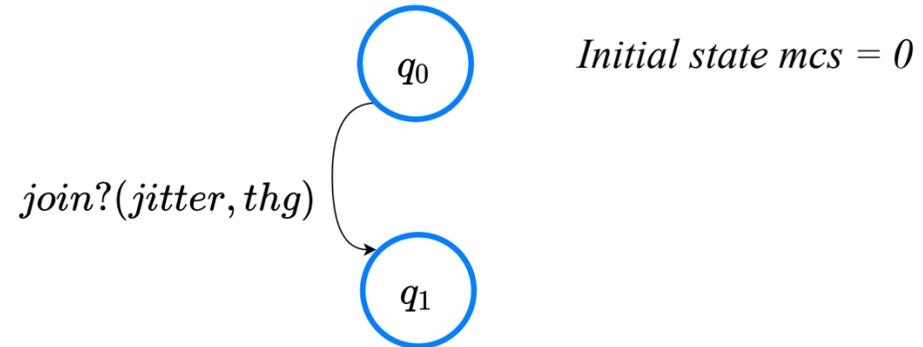
Sample trace:

- At time 0 sec. a new session starts (join) → Request max jitter and min throughput
- At time 220 sec. the session ends (leave)
- Each 20 sec. there is a configuration change
  - MCS in [0,10]
- **Each 4 sec. a new state is observed**

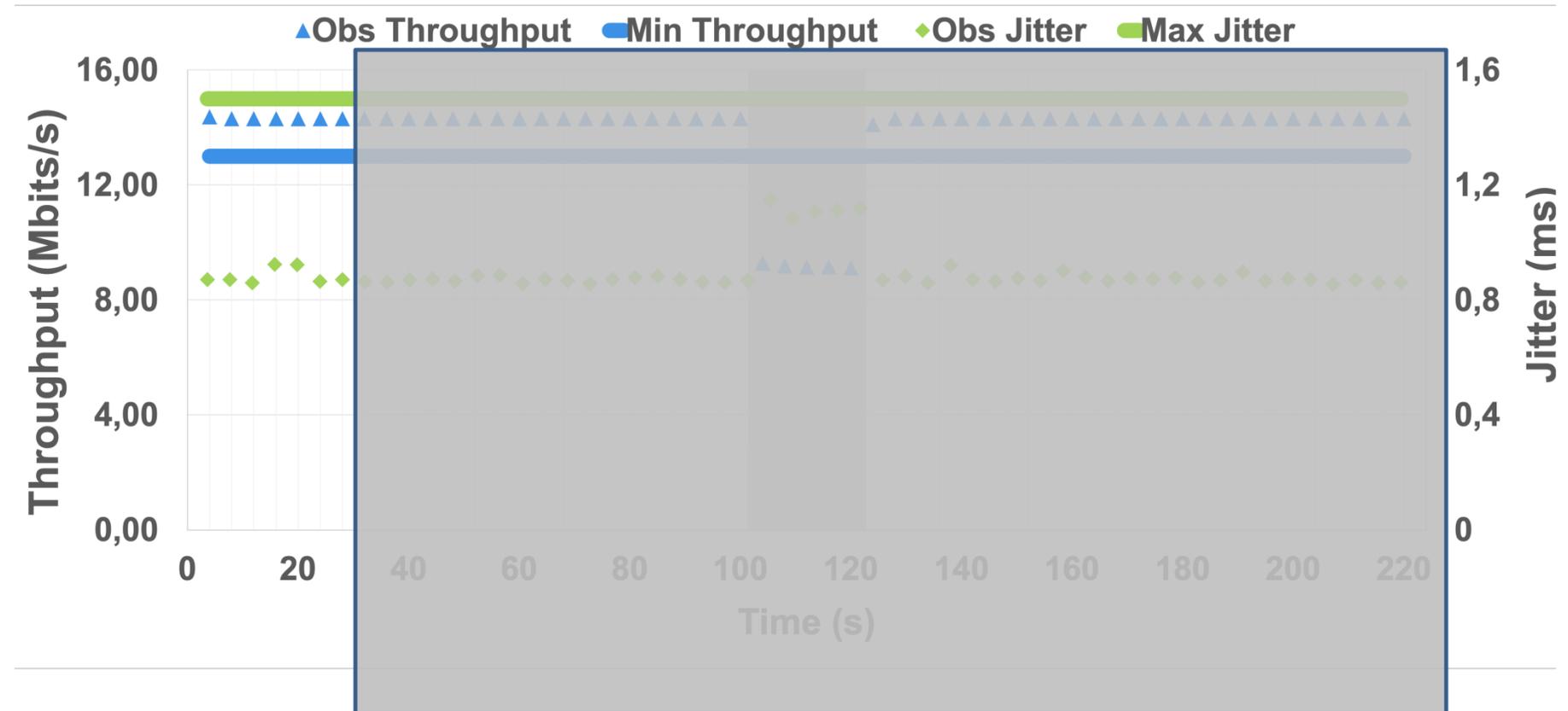
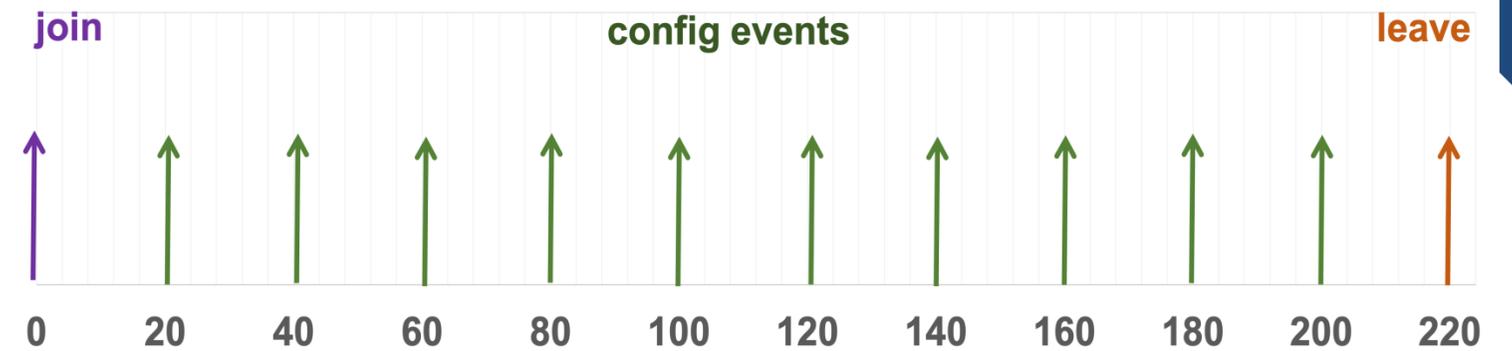
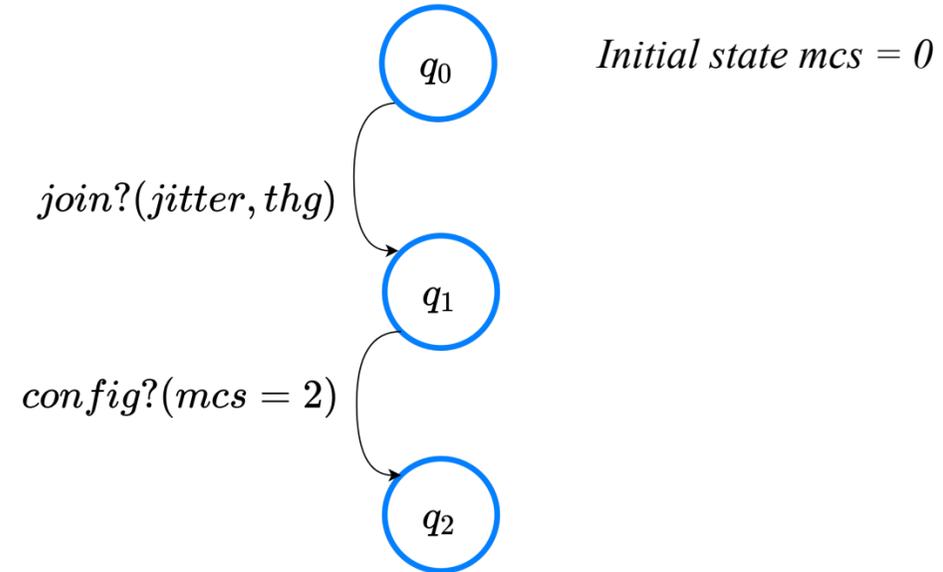
Given this sequence of events,  
**how the Learn Algorithm works ?**



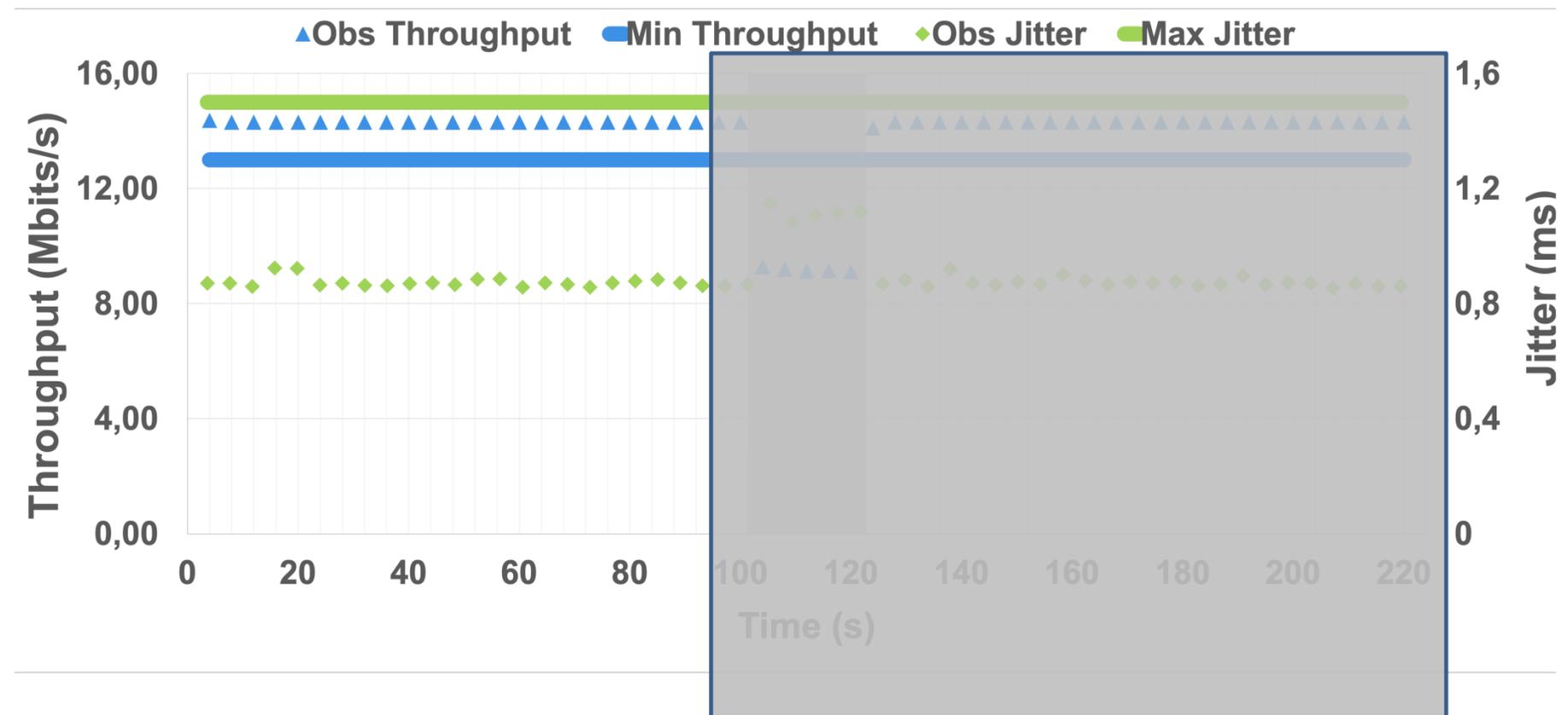
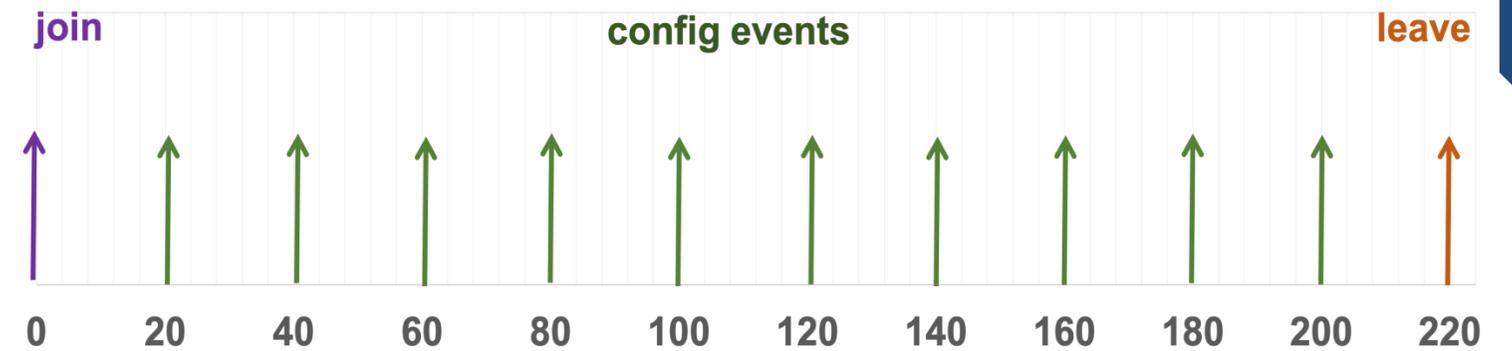
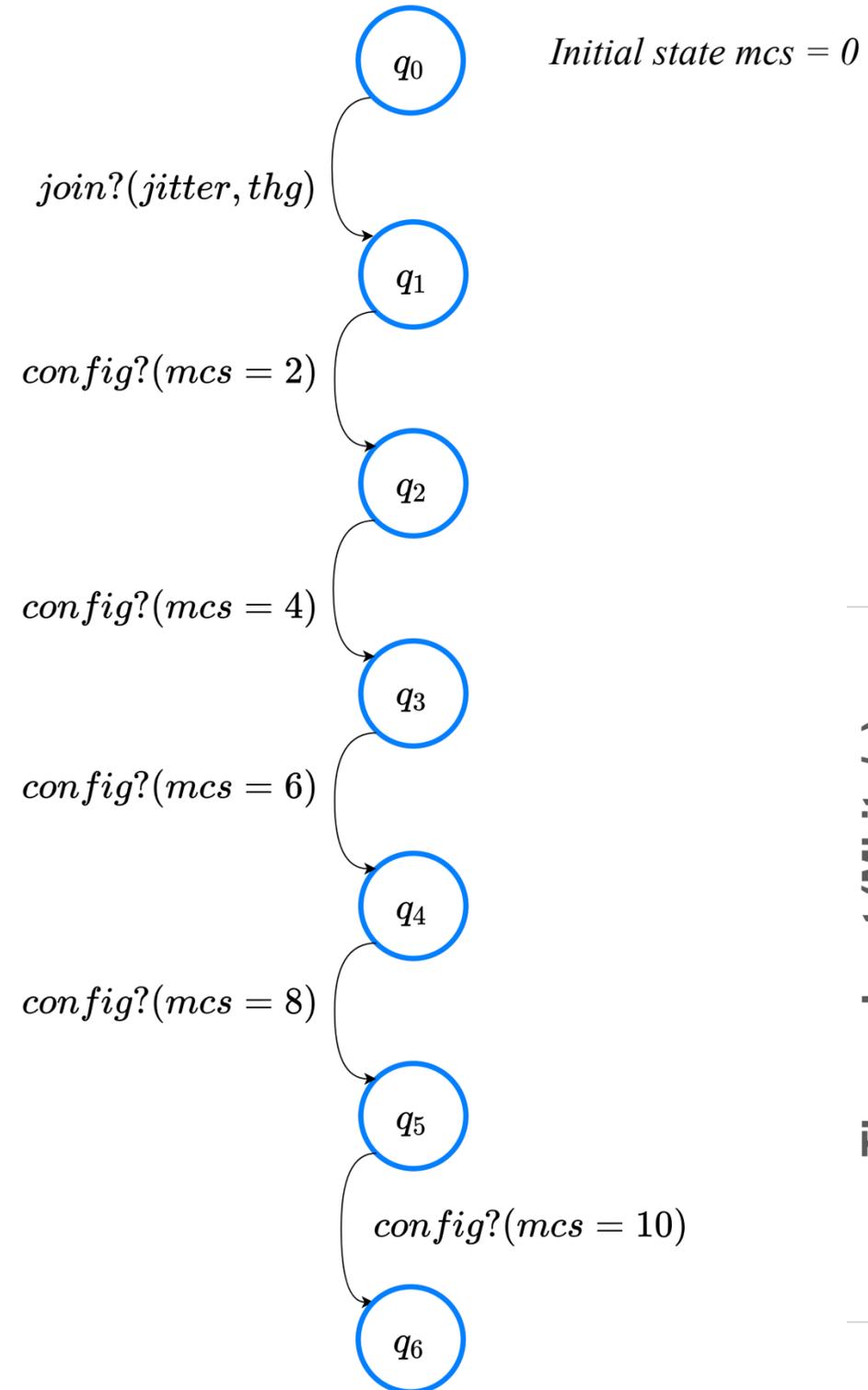
# Construction of the learned automaton



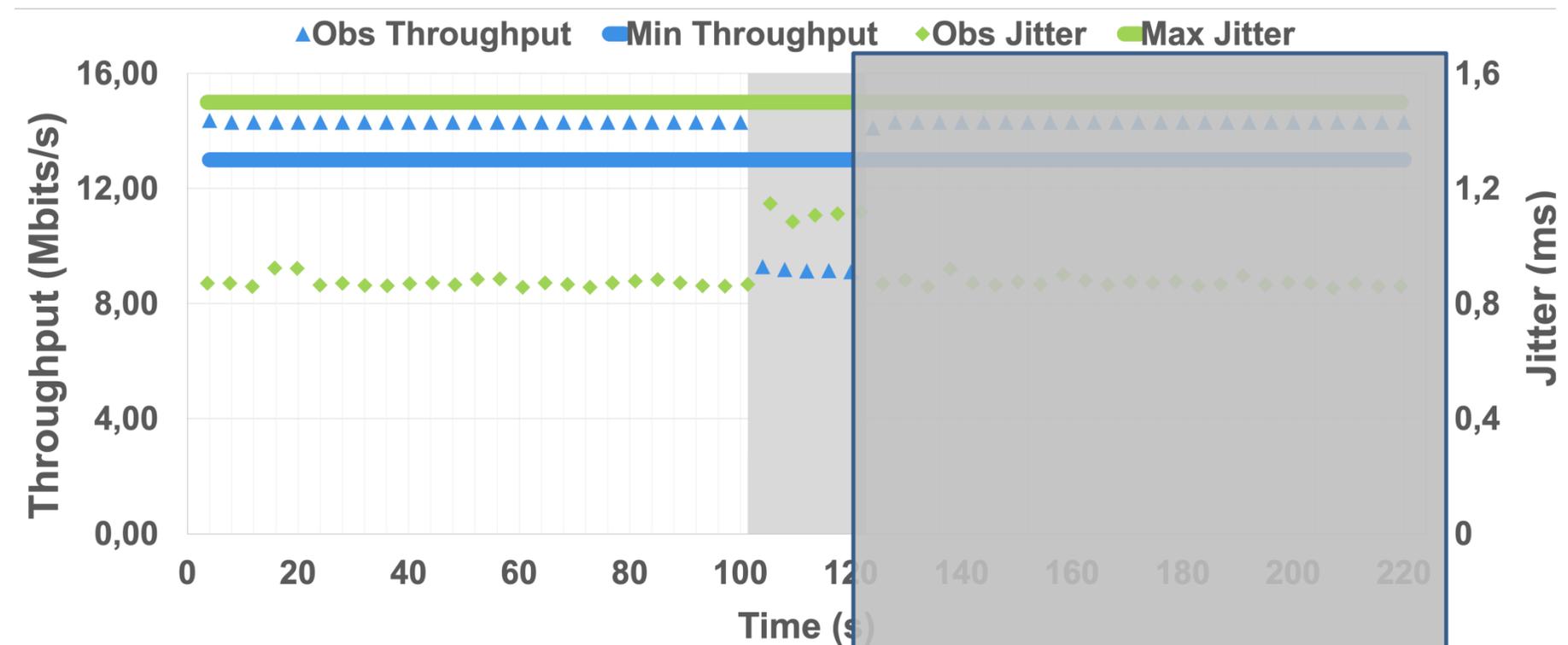
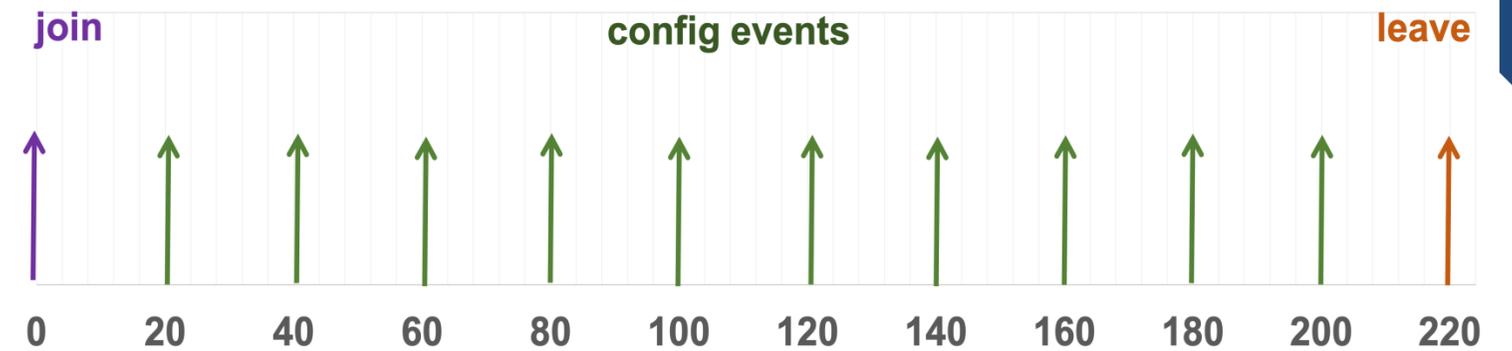
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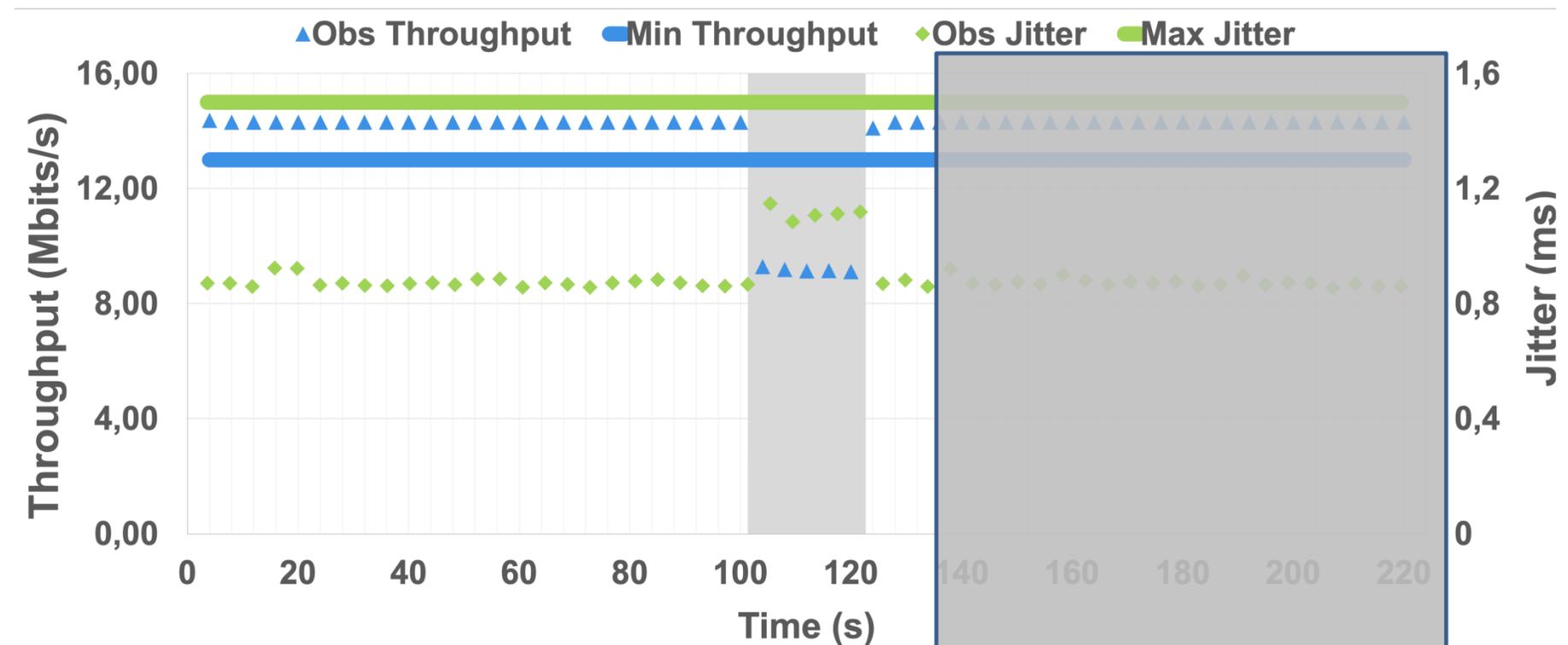
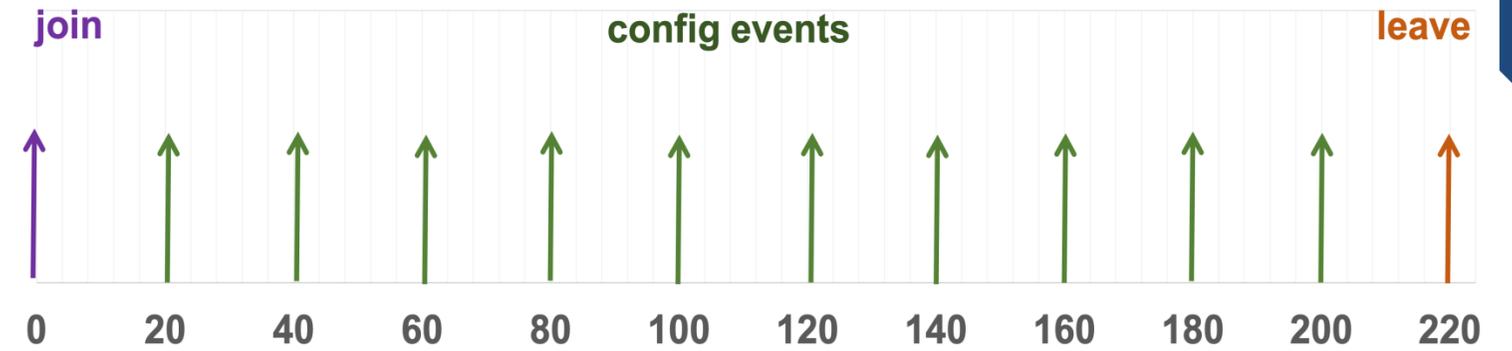
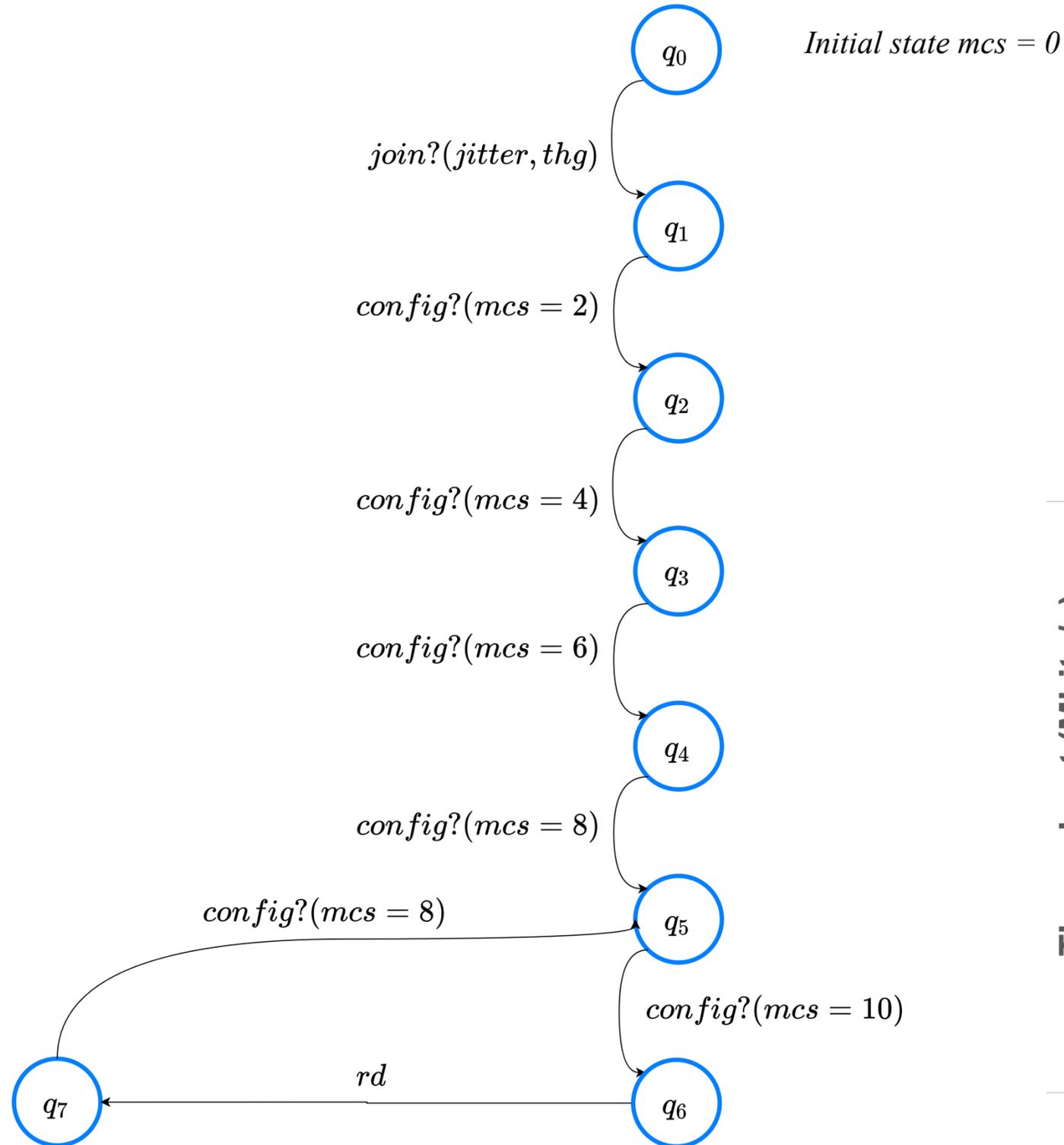
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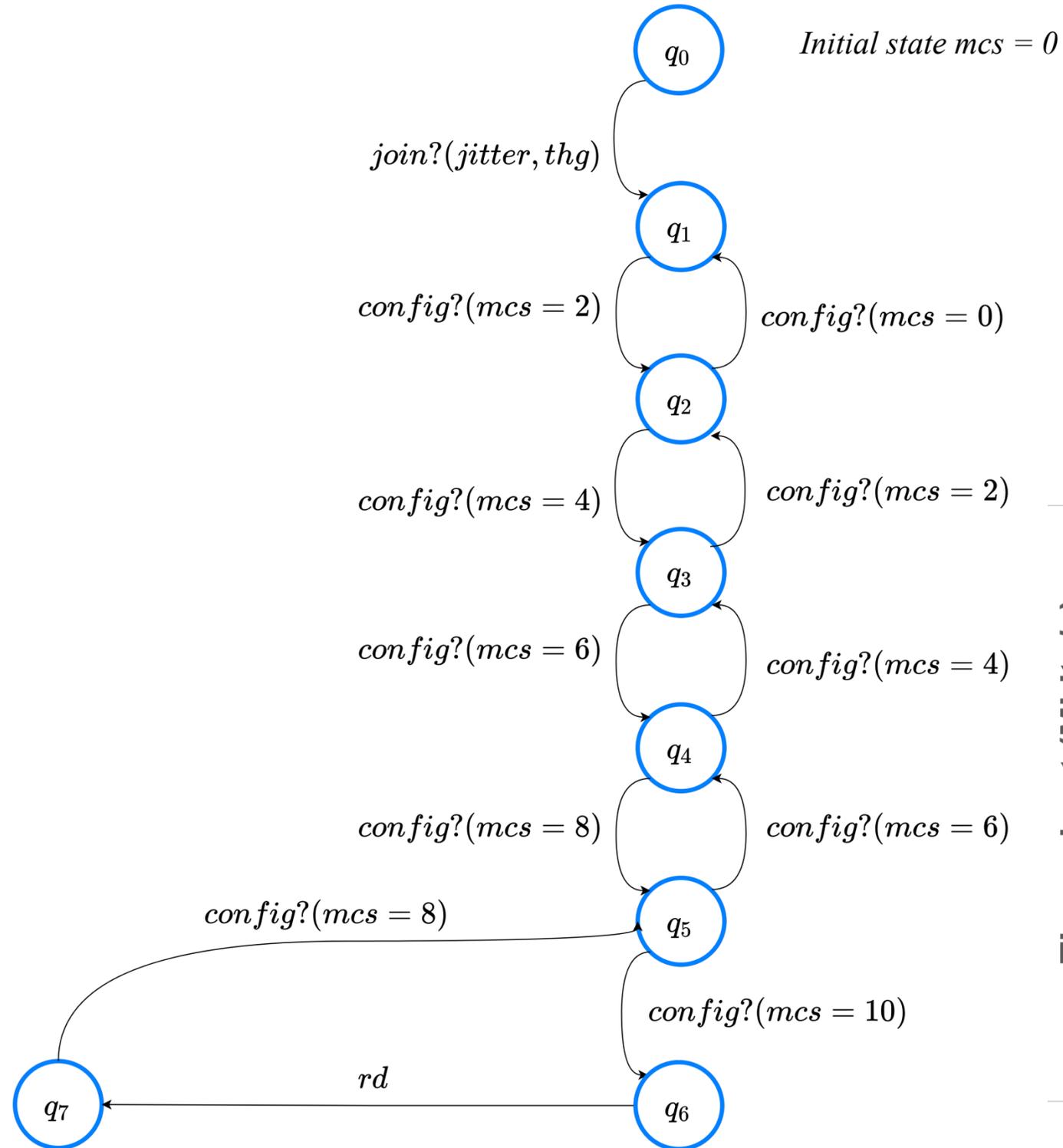
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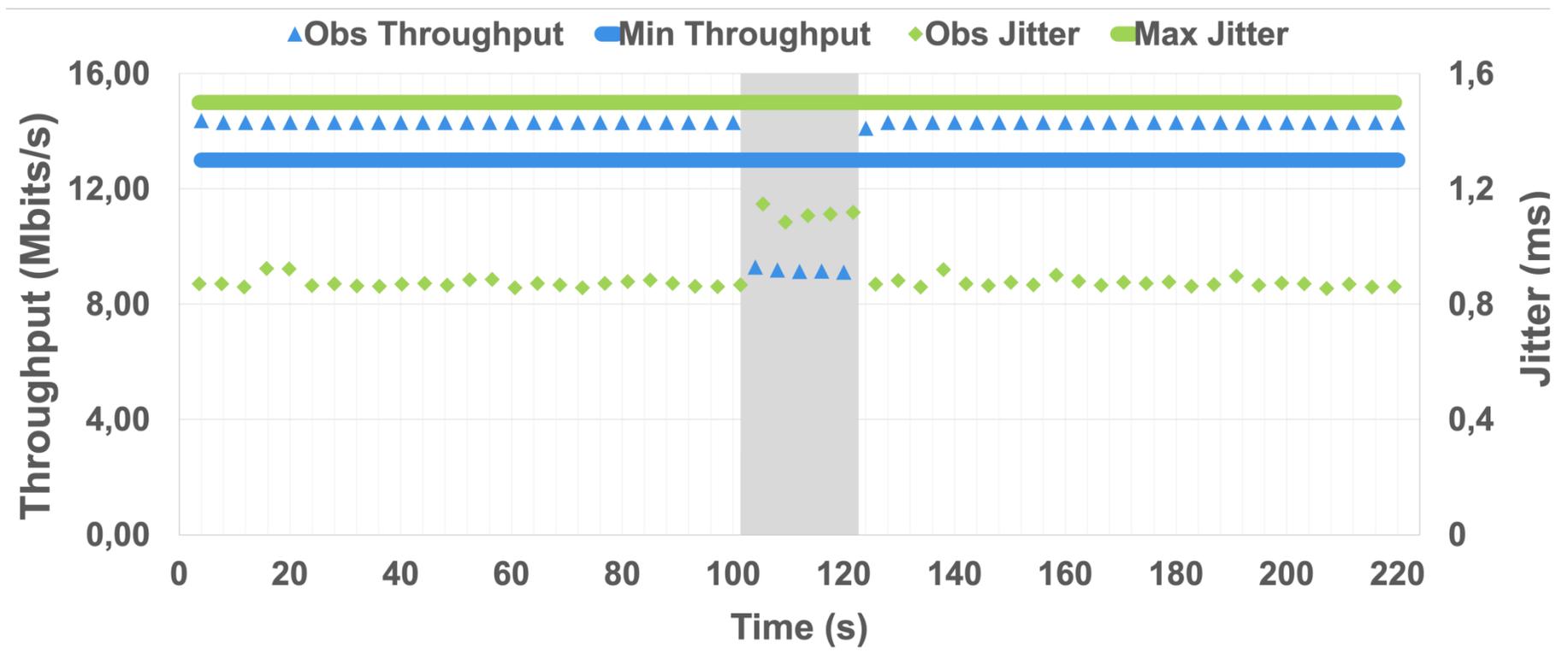
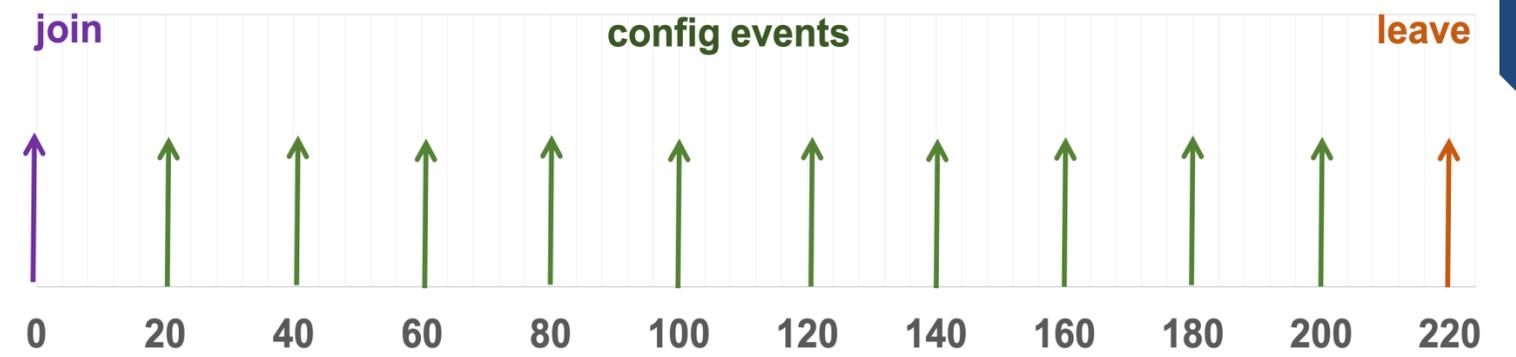
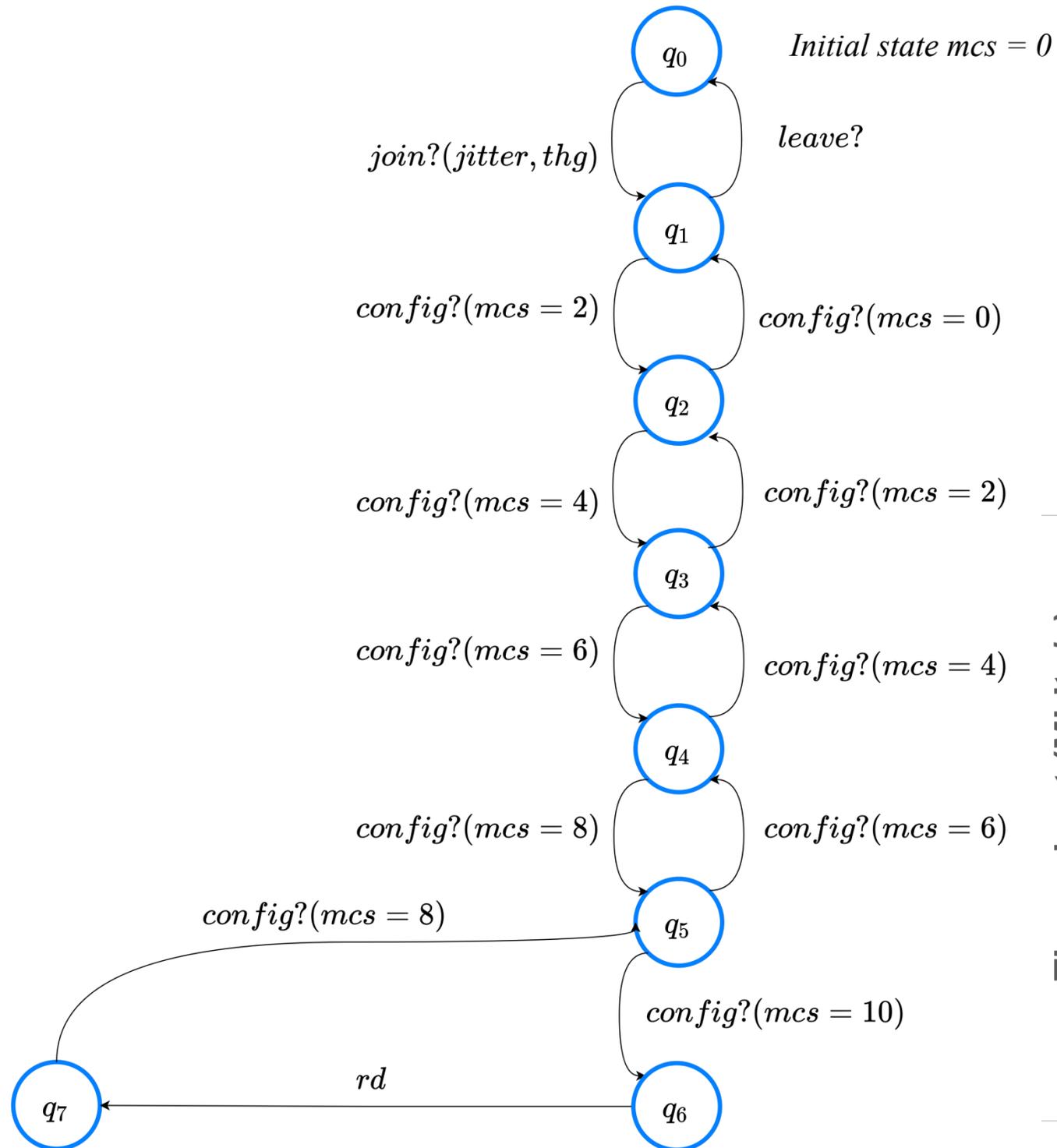
# Construction of the learned automaton



# Construction of the learned automaton

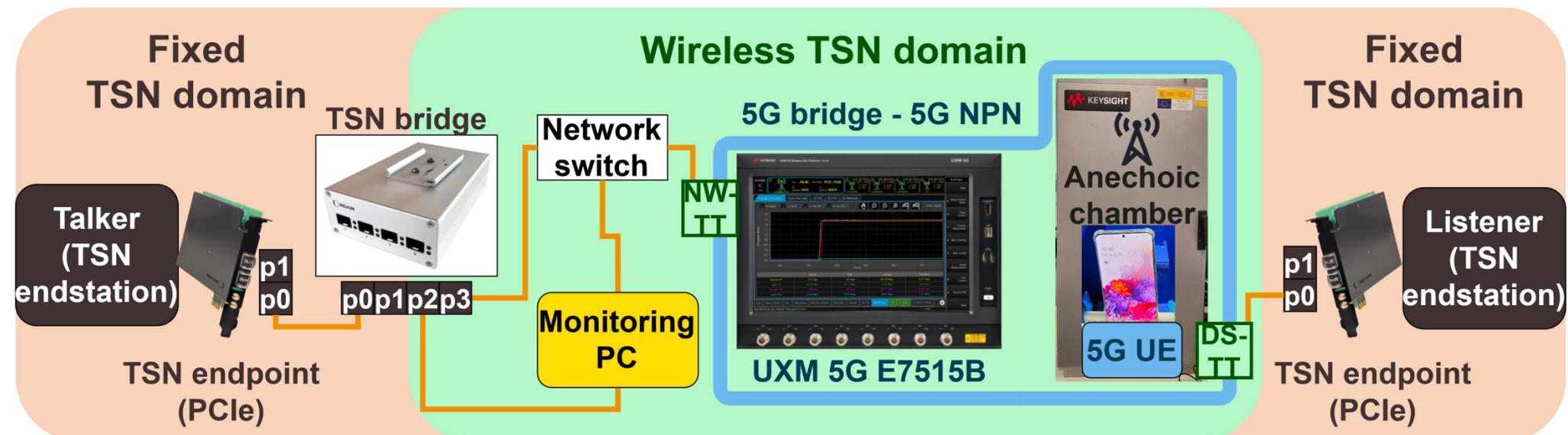


# Construction of the learned automaton



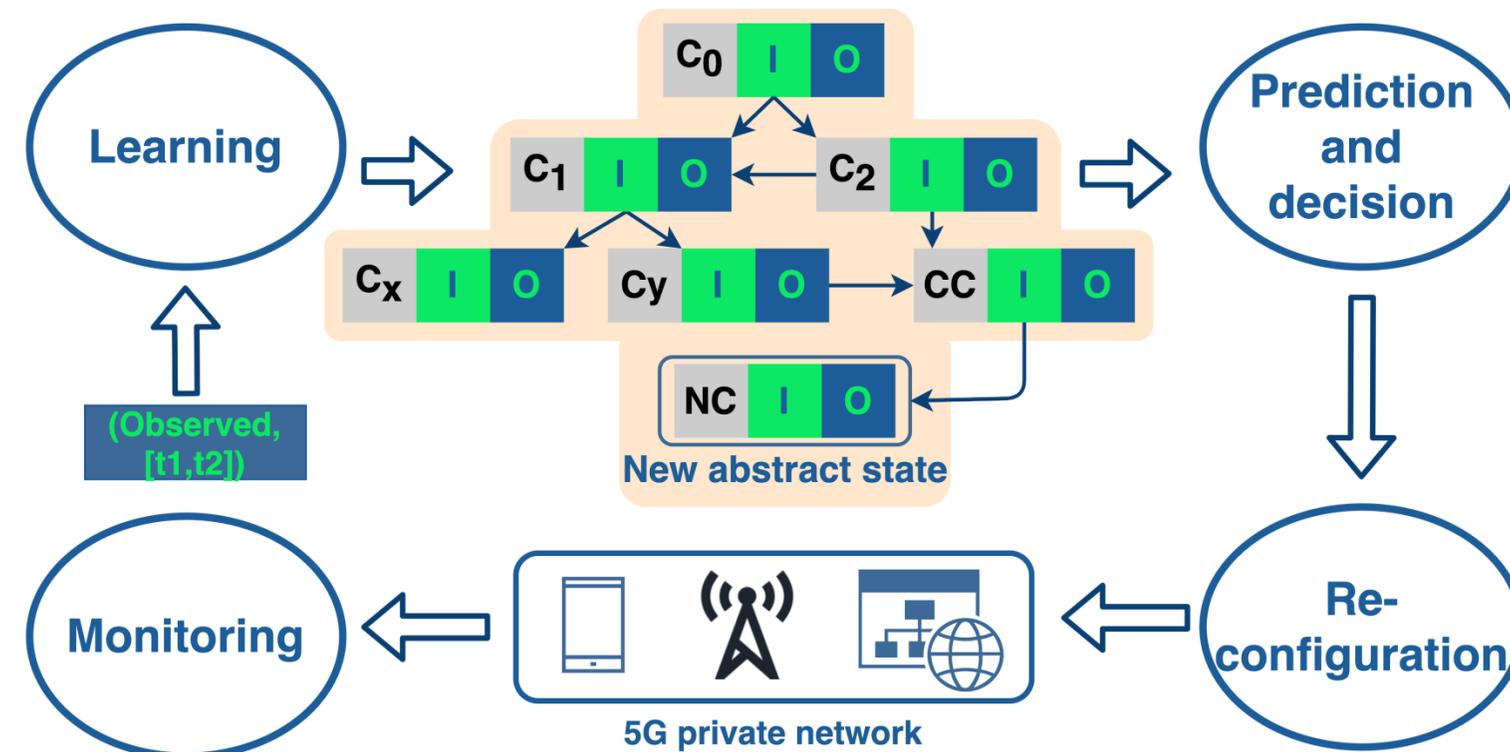
# Experiments

- Learning algorithm implemented in Scala and Monitoring module with C
- Experiments:
  - Several hours over a realistic network
  - Considering only 2 endpoints
  - KPIs considered: throughput and jitter
  - Configuration parameters considered: **MCS**, PRB and Transmission Power
- Results:
  - Network traffic can be processed by the learning module to produce an automaton on real-time



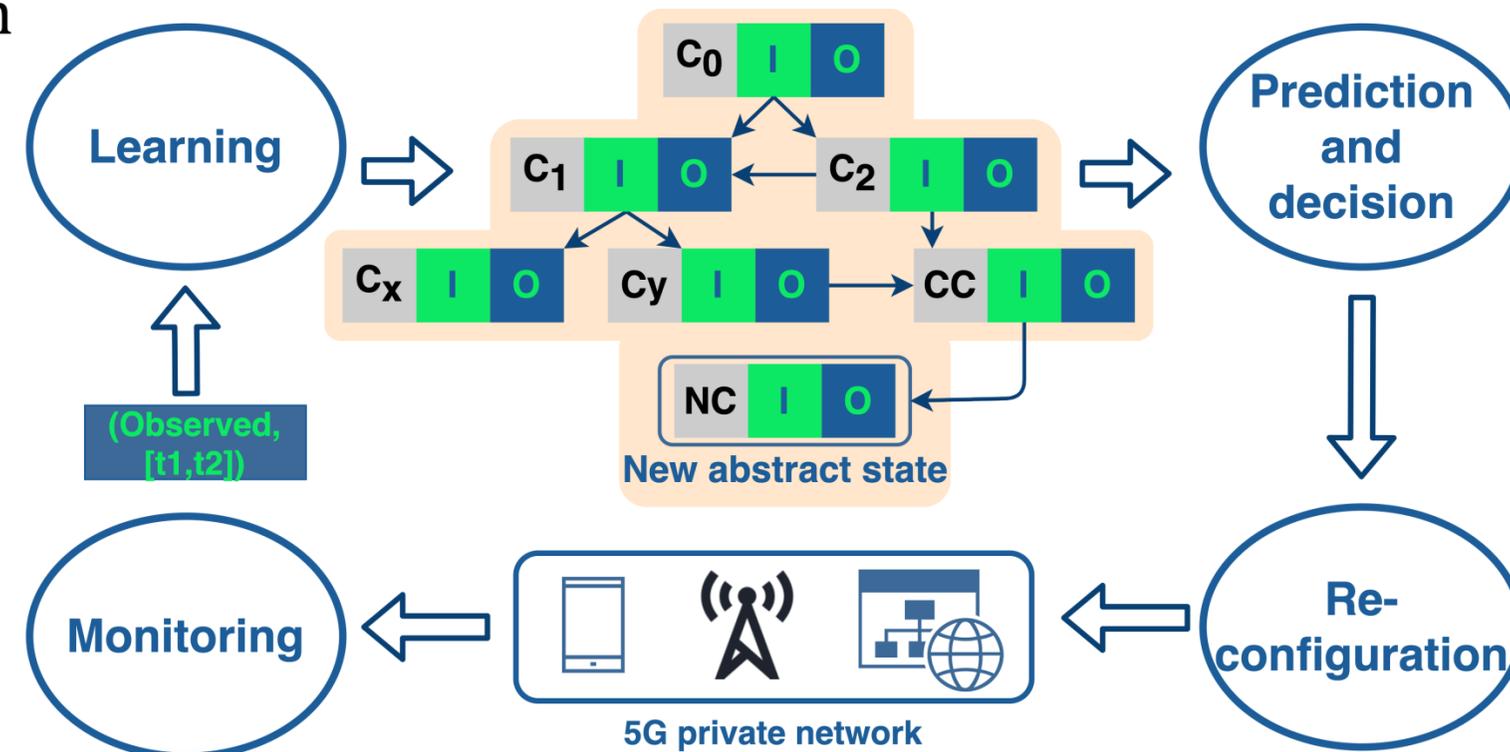
# Conclusions & Future Work

- The implementation in Scala of the algorithm can process the network captures in real-time
- Learning automaton generates a model bounded mainly by the number of the network configurations



# Conclusions & Future Work

- Extend the testbed:
  - Obtain traces with multiple TSN endpoints
  - Define new synchronization mechanisms between the 5G and the TSN network domains
- Extend the *Learn* algorithm:
  - Any number of configuration parameters and KPIs
  - Produce one/several automaton that represents complex scenarios
- Support real-time prediction and re-configuration features based on the learned automaton



# Thank you!



Any questions?

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